

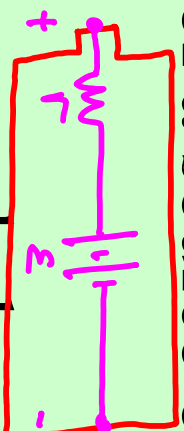
# EMMF, Series & Parallel Circuits

"The wireless music box has no imaginable commercial value. Who would pay for a message sent to nobody in particular?"

David Sarnoff's associates (NBC) in response to his urgings for investment in the radio in the 1920s.

# EMF

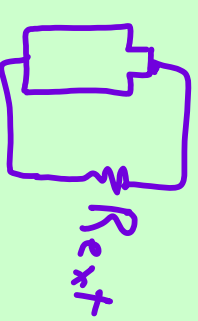
- A constant current can be maintained in a closed circuit through the use of a source of *emf* (battery or generator).



$\mathcal{E}$  - emf  
 $r$  - internal resistance

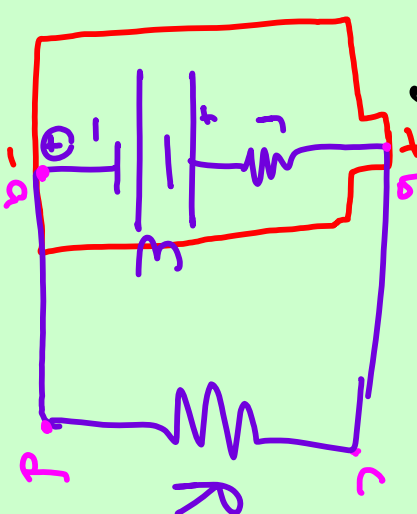
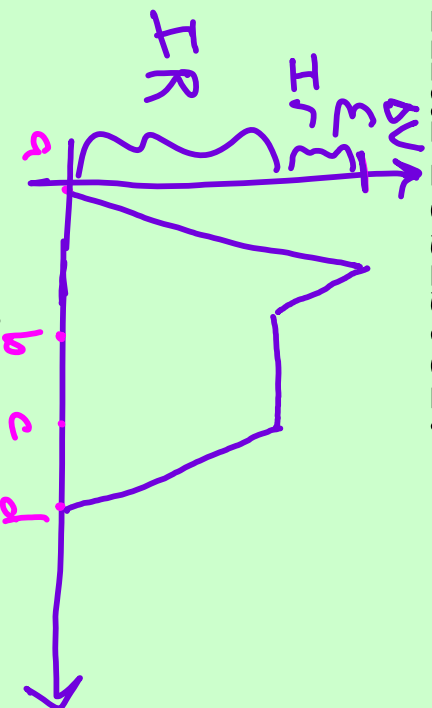
- The *emf*,  $\mathcal{E}$ , describes the work done per unit charge.
- The *terminal voltage* is the potential difference across the terminals of a battery. This would equal the *emf* if the battery had no internal resistance.
- Write down  $\Delta V$  for a battery.  
$$\Delta V = \mathcal{E} - IR$$

$r$  ↑ as batteries are used
- $\mathcal{E}$  is the **open-circuit voltage**, which is the terminal voltage when the current is zero.



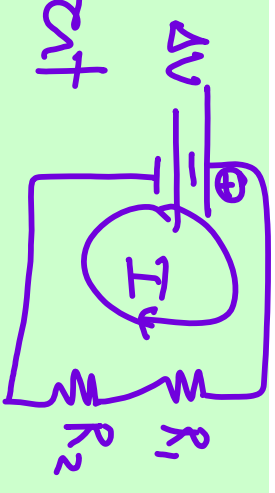
# EMF

- Graph  $V$  for a circuit with a battery connected to an external resistor.



- The **load resistance** is the resistance of the external resistor.
- Most often the internal resistance is  $<$   $<$  than the external resistance.

# Series & Parallel



- Resistors in series have the same *current*

- The equivalent resistance is given by

$$\Delta V = I R_1 + I R_2 + \dots$$

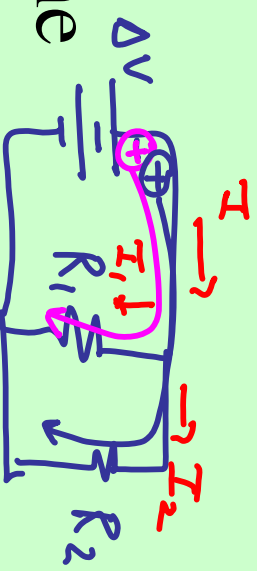
$$\cancel{I} R_{eq} = \cancel{I} R_1 + \cancel{I} R_2$$

$$R_{eq} = \sum_i R_i$$

- Resistors in parallel have the same

$$\Delta V = \frac{\Delta U}{g} \Rightarrow \Delta U = \Delta V g$$

*Voltage*



- The equivalent resistance is given by

$$I = I_1 + I_2$$

$$\frac{\Delta V}{R_{eq}} = \frac{\Delta V}{R_1} + \frac{\Delta V}{R_2}$$

$$\frac{1}{R_{eq}} = \sum_i \frac{1}{R_i}$$